Parameterizing ecosystem light use efficiency and water use efficiency to estimate maize gross primary production and evapotranspiration using MODIS EVI

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ABSTRACT

Quantifying global carbon and water balances requires accurate estimation of gross primary production (GPP) and evapotranspiration (ET), respectively, across space and time. Models that are based on the theory of light use efficiency (LUE) and water use efficiency (WUE) have emerged as efficient methods for predicting GPP and ET, respectively. Currently, LUE and WUE estimates are obtained from biome-specific look-up tables and coarse resolution remote sensing data with large uncertainties. The major objective of this study was to parameterize eddy covariance tower-based ecosystem LUE (ELUEEC), defined as the ratio of tower-based GPP (GPPEC) to photosynthetically active radiation (PAR), and ecosystem WUE (EWUEEC), defined as the ratio of GPPEC to tower-based ET (ETEC), using the Moderate Resolution Imaging Spectroradiometer (MODIS)-derived enhanced vegetation index (EVI) for predicting maize (Zea mays L.) GPP and ET, respectively. Three adjacent AmeriFlux maize sites with different rotations (continuous maize vs. annual rotation of maize and soybean, Glycine max L.) and water management practices (rainfed vs. irrigated) located near Mead, NE, USA were selected. The EVI tracked the seasonal variations of ELUEEC ($R^2 = 0.83$) and EWUEEC ($R^2 = 0.74$) across sites, indicating that EVI can be explicitly used as a measure of ELUEEC and EWUEEC. The predicted GPP (GPPELUE) using the parameterized ELUE model correlated well with GPPEC (slope = 1.0, $R^2 = 0.83$, and RMSE = 2.85 g C m$^{-2}$ d$^{-1}$) and was significantly improved when compared to widely used models that estimate GPP by integrating EVI and climate variables (Greenness and Radiation, Temperature and Greenness, and Vegetation Index) and the standard MOD17 GPP product. Similarly, the predicted ET (ETEWUE) using the parameterized EWUE correlated well with ETEC (slope = 1.02, $R^2 = 0.62$, and RMSE = 0.83 mm ET$^{-1}$) and was significantly improved when compared to the standard MOD16 ET product. Preliminary data
demonstrate that ELUE and EWUE can be parameterized using EVI, offering new methods for predicting GPP and ET.

**Key Words**: Artificial Neural Network; Eddy Covariance; Empirical and Statistical Models; Remote Sensing; Seasonal and Interannual Variability; Vegetation Indices

1. **Introduction**

Accurate estimation of gross primary production (GPP) and evapotranspiration (ET) across space and time is crucial to quantify global carbon and water balances, respectively. Eddy covariance (EC) systems can measure carbon uptake and water losses by ecosystems at the landscape level (Baldocchi et al., 2001). However, these EC measurements are representative of fluxes only from within the EC tower footprint. Satellite remote sensing approach can complement the limited coverage of GPP and ET estimates by EC systems. Consequently, a variety of methods that leverage remotely-sensed products to predict GPP and ET have been developed and validated using EC data.

Current remote sensing estimations of GPP fall into two broad approaches. The first approach is to estimate GPP based on the theory of light use efficiency (LUE) proposed by Monteith (1972). Several existing broad-scale carbon flux models such as Moderate Resolution Imaging Spectroradiometer Photosynthesis, MODIS-PSN (Running et al., 2004), Carnegie–Ames–Stanford Approach, CASA (Potter et al., 1993), Global Production Efficiency Model, GLO-PEM (Prince and Goward, 1995), Vegetation Photosynthesis Model, VPM (Xiao et al., 2004), and Eddy Covariance Light Use Efficiency Model, EC-LUE (Yuan et al., 2007) follow the fundamental GPP estimation method (Monteith, 1972) as:

\[
GPP = \varepsilon \times fAPAR \times PAR
\]

(1)
where $\epsilon$ is light use efficiency, PAR is photosynthetically active radiation, and fAPAR is the fraction of PAR absorbed by vegetation. In equation (1), separate estimations of fAPAR and $\epsilon$ are required to compute GPP for the current LUE-based models. A major limitation for this GPP estimation approach is that direct measurements of LUE are not available at the landscape scale. Conclusive results have not been achieved to directly compute LUE even by using narrow-band vegetation indices such as photochemical reflectance index, PRI (Gamon et al., 1992) and solar-induced chlorophyll fluorescence, SIF (Parazoo et al., 2014). Even though the PRI performance is good at leaf or plant levels, it is problematic at the ecosystem level when using MODIS data (Moreno et al., 2012; Tan et al., 2013). Further, parameterization of LUE is difficult as it is influenced by vegetation types (Turner et al., 2003), seasonality and plant phenology (Jenkins et al., 2007), and environmental stresses (Ruimy et al., 1995). Due to these reasons, maximum LUE values have been specified for a limited number of biome types and are available in vegetation-specific look-up table. In most LUE-based models, a constant potential or maximum LUE value is used and then down-regulated by environmental constraints (Running et al., 2004). Differences in the GPP estimates from LUE-based models are generally due to differences in the determination or selection of LUE and the use of environmental stress scalars. The second remote sensing GPP estimation approach is the development of empirical/statistical models based on tower-based GPP ($\text{GPP}_{\text{EC}}$), climate variables, and remotely-sensed vegetation indices (Gitelson et al., 2006; Sims et al., 2008; Wu et al., 2010) and most recently based on $\text{GPP}_{\text{EC}}$ and SIF (Guanter et al., 2014; Wagle et al., 2015c).

Remote sensing estimations of ET also fall broadly into two approaches. The first approach is to estimate ET using physical models based on the surface energy balance (SEB) concept (Gillies et al., 1997). Several SEB models have been developed in past two decades to estimate
large-scale ET (Allen et al., 2007; Bastiaanssen et al., 1998; Roerink et al., 2000; Senay et al., 2013; Su, 2002). Those SEB models typically estimate sensible heat flux (H) from the difference between ground-based air temperature (T_a) and satellite-based land surface temperature (LST). The lack of 1:1 correspondence between LST and aerodynamic surface temperature poses a number of difficulties in estimating H (Kustas and Norman, 1996) and ultimately reliable ET estimates. Further, relatively complex computation of several land surface physical parameters and turbulent heat fluxes, and too many required parameters with detailed information in physically-based models can cause more inconveniences and uncertainties when data are not readily available (Liou and Kar, 2014). Several surface variables like land surface temperature, surface albedo, soil moisture, emissivity, fractional vegetation cover, leaf area index can significantly affect the precise partition of energy components and consequently the accuracy of SEB models. The second remote sensing ET estimation approach is the development of empirical/statistical models (Choudhury et al., 1994) based on tower-based ET (ET_{EC}), vegetation indices, and climate variables. Increasing number of flux towers and availability of remote sensing vegetation indices offer a tool for upscaling of ecosystem level measurements of ET over large areas (Glenn et al., 2007). The empirical approach directly uses vegetation indices in scaling ET rather than using them to compute several canopy properties to be used as parameters in physically-based models (Bonan, 1993; Glenn et al., 2007). It is also important to note that flux towers do not require knowledge of leaf area index, fraction cover, and details of canopy architecture to provide results, and they provide measurements of fluxes at scales that can partly or fully overlap the pixel size of satellite sensors (Glenn et al., 2007). Thus, the empirical approach can constrain satellite data and minimize the uncertainty involved in ET estimates. Consequently, integration of vegetation indices with flux tower data is more robust.
and suitable scaling tool rather than solving complex equations of physical models with limited input data (Glenn et al., 2008). Furthermore, vegetation indices are more robust because they are computed the same way regardless of surface conditions across all pixels in time and space. The comparison of ET estimation methods showed that more complex physical and analytical methods were not necessarily more accurate than simple statistical and empirical methods (Kalma et al., 2008). The empirical approach, therefore, can be used as a simple and alternative approach to provide reasonably accurate estimates of ET when ground-based data are available and/or input data are limited to solve complex physically-based models.

Similar to maximum values of ecosystem light use efficiency (ELUE), maximum values of ecosystem water use efficiency (EWUE) are also considered as a relatively constant for a biome type and similar across many of the world’s major biomes (Law et al., 2002). It is important to note that EWUE is different from just the water use efficiency (WUE) of individual plant species as EWUE is influenced by several other factors such as heterotrophic respiration, decomposition of organic materials, and evaporation of moisture from the soil surface (Emmerich, 2007). Consequently, large spatial and temporal variability in EWUE was reported for the same plant functional type (i.e., grasslands) across the United States (Wagle et al., 2015a), illustrating that EWUE is not a constant property for a biome type. Thus, improved representation of spatial and temporal differences in ELUE and EWUE is crucial for better modeling results.

Previous studies have reported strong correlations between GPP/PAR (= ELUE) and canopy total chlorophyll content (Wu et al. 2009) or enhanced vegetation index, EVI (Ma et al., 2014), and between GPP/ET (= EWUE) and EVI (Tang et al., 2015; Zhang et al., 2009). Ma et al. (2014) parameterized ELUE using EVI and PAR to estimate savanna GPP. A new algorithm that uses EVI and LST was proposed to estimate monthly forest LUE (Wu et al., 2012). Based on
those results, we hypothesized that a robust relationship could be established by integrating EVI and climate variables with ELUE and EWUE to accurately estimate maize \( (Zea\ mays\ \text{L.})\) GPP and ET, respectively. This approach not only provides direct estimations of ELUE and EWUE but also offers new methods for predicting GPP and ET. Further, this method simplifies remote sensing-based GPP and ET estimates, and also reduces uncertainties involved with the use of biome-specific maximum ELUE and EWUE values in GPP and ET models.

The objectives of this study were 1) to understand seasonal dynamics and interannual variations in ELUE and EWUE derived from EC measurements, and 2) to parameterize ELUE and EWUE using EVI to estimate maize GPP and ET, respectively. Further, this study compares the performance of the parameterized ELUE model to several commonly used GPP models: Greenness and Radiation, GR (Gitelson et al., 2006), Temperature and Greenness, TG (Sims et al., 2008), and Vegetation Index, VI (Wu et al., 2010), the standard global MOD17 GPP product, \( \text{GPP}_{\text{MOD17}} \) (Running et al., 2004), and statistical models developed in this study using \( \text{GPP}_{\text{EC}} \) data. Similarly, the performance of the parameterized EWUE model is compared with the standard MOD16 ET product, \( \text{ET}_{\text{MOD16}} \) (Mu et al., 2007), and statistical models developed in this study using \( \text{ET}_{\text{EC}} \) data.

2. Materials and methods

2.1. Site description

Three adjacent study sites (US-Ne1, US-Ne2, and US-Ne3) are located at the University of Nebraska Agricultural Research and Development Center, near Mead, NE. These sites have similar climatic conditions as they are located within 1.6 km of each other. The US-Ne1 site is irrigated continuous maize using a center pivot irrigation system. The US-Ne2 and US-Ne3 are maize and soybean \( (Glycine\ max\ \text{L.})\) rotation sites, with maize planted in odd years. The
difference between US-Ne2 and US-Ne3 sites is the US-Ne2 site is irrigated using a center pivot irrigation system and the US-Ne3 is rainfed. Detailed site information is available in previous studies (Suyker and Verma, 2012; Verma et al., 2005) or on the AmeriFlux website (http://ameriflux.lbl.gov/).

2.2. Eddy flux and ground-based climate data

Carbon and water vapor fluxes at all three sites were measured using the EC technique. The gap-filled flux data (GPP$_{EC}$ and ET$_{EC}$) and site-specific climate data (PAR and $T_a$) were obtained from the AmeriFlux website (http://ameriflux.lbl.gov/). We used 11 years of data (2001-2012, missing 2006) from US-Ne1 and six years of data from both US-Ne2 and US-Ne3 (2001-2011, odd years with maize crop only) sites. The flux and climate data were composited for 8-day intervals to match the temporal resolution of the MODIS-derived EVI.

2.3. MODIS products

2.3.1. MODIS EVI and LST products

We obtained 8-day composite 500 m surface reflectance product (MOD09A1) to compute EVI and 8-day 1-km MODIS global daytime LST product (MOD11A2) to compute LST for each flux tower site (one MODIS pixel surrounding the flux tower site) from the MODIS data portal at the Earth Observation and Modeling Facility (EOMF), University of Oklahoma (http://comf.ou.edu/visualization/). The observations with the bad quality flags (i.e., clouds or cloud shadows) in both MOD09A1 and MOD11A2 products were gap-filled using a linear interpolation method (Jin et al., 2013).
2.3.2. MODIS GPP and ET Products

The global GPP\textsubscript{MOD17} and ET\textsubscript{MOD16} products are available at 1-km spatial resolution. We obtained 8-day composite values of GPP\textsubscript{MOD17} and ET\textsubscript{MOD16} for the MODIS pixels surrounding each flux site from the Oak Ridge National Laboratory Distributed Active Archive Center (ORNL DAAC) website (http://daac.ornl.gov/MODIS/modis.shtml). The GPP\textsubscript{MOD17} and ET\textsubscript{MOD16} datasets were used only to compare with our models.

2.4. Parameterization of ELUE\textsubscript{EC} and EWUE\textsubscript{EC}

We computed ELUE\textsubscript{EC} (g C mol\textsuperscript{-1} PAR) and EWUE\textsubscript{EC} (g C mm\textsuperscript{-1} ET) as:

\[
ELUE_{EC} = \frac{GPP_{EC}}{PAR} \quad (2)
\]

\[
EWUE_{EC} = \frac{GPP_{EC}}{ET_{EC}} \quad (3)
\]

We developed time series of ELUE\textsubscript{EC} and EWUE\textsubscript{EC} at 8-day intervals to match the temporal resolution of the MODIS-derived EVI. The dataset from all three sites (n = 354 samples) were first randomized, then divided into two equal subsets (n = 177 each for model calibration and validation). For the calibration dataset, simple and multiple regression analyses of ELUE\textsubscript{EC} and EWUE\textsubscript{EC} against major controlling variables (EVI, PAR, and T\textsubscript{a}) were performed to obtain the best predictive equation for ELUE (ELUE\textsubscript{Pred}) and EWUE (EWUE\textsubscript{Pred}) as:

\[
ELUE_{\text{Pred}} \text{ or } EWUE_{\text{Pred}} = f(EVI, T_a, PAR, T_a \times EVI, PAR \times EVI, T_a + EVI, PAR + EVI) \quad (4)
\]

We used the stepwise selection method to select most significant variable(s). In order to evaluate its potential for providing better estimates of ELUE and EWUE, we also developed predictive relationships for these quantities using the artificial neural network (ANN) technique. The ANN technique employs complex nonlinear transformations and provides the probability of response variables using mathematical functions. Only those variables identify as the most
significant in the regression analysis were considered in this exercise. For example, EVI and $T_a$
were used as predictor variables to estimate ELUE, and EVI was used as a predictor variable to
estimate EWUE. Finally, we selected the model based on several fit statistics such as the
coefficient of determination ($R^2$), Akaike’s information criterion (AIC), and Schwarz’s Bayesian
criterion (SBC). Regression and ANN analyses were performed in SAS Enterprise Miner 12.3
software (SAS Institute Inc., Cary, NC, USA).

Once the most significant model was developed, ELUE$_{\text{Pred}}$ and EWUE$_{\text{Pred}}$ were determined for the validation dataset to estimate GPP (GPP$_{\text{ELUE}}$) and ET (ET$_{\text{EWUE}}$) as:

$$GPP_{\text{ELUE}} = ELUE_{\text{Pred}} \times PAR$$

(5)

$$ET_{\text{EWUE}} = \frac{GPP_{\text{ELUE}}}{EWUE_{\text{Pred}}}$$

(6)

2.5. Comparison of other GPP and ET Models

2.5.1. GPP Models

We compared the performance of our parameterized ELUE-based GPP model (GPP$_{\text{ELUE}}$) with the performances of other widely used GPP models that estimate GPP by integrating EVI and climate variables such as temperature or radiation, namely TG, GR, and VI models. We also compared the performance of GPP$_{\text{ELUE}}$ with GPPs predicted using a statistical (GPP$_{\text{StatMod}}$) and ANN (GPP$_{\text{ANN}}$) models, and the standard GPP$_{\text{MOD17}}$ product. The same calibration and validation datasets were used to calibrate and validate all GPP models. The GPP$_{\text{MOD17}}$ dataset was also divided into calibration and validation datasets. Here we briefly summarize GPP models used in this study.

2.5.1.1. Temperature and Greenness Model

The TG model estimates GPP as (Sims et al., 2008):
where \( m \) is a scalar and is determined from the calibration dataset, while \( EVI_{scaled} \) and \( LST_{scaled} \) are calculated as:

\[
EVI_{scaled} = EVI - 0.1
\]

\[
LST_{scaled} = \min \left( \frac{LST}{30}, 2.5 - 0.05 \times LST \right)
\]

### 2.5.1.2. Greenness and Radiation Model

The GR model estimates GPP as (Gitelson et al., 2006):

\[
GPP_{GR} = PAR \times EVI \times m
\]

where \( m \) is a scalar and is determined from the calibration dataset.

### 2.5.1.3. Vegetation Index Model

The VI model estimates GPP as (Wu et al., 2010):

\[
GPP_{VI} = PAR \times EVI \times EVI \times m
\]

where \( m \) is a scalar and is determined from the calibration dataset.

### 2.5.1.4. Statistical and ANN Models

The relationship of \( GPP_{EC} \) with EVI and major climate variables (\( T_a \) and \( PAR \)) were analyzed for the calibration dataset to obtain the best predictive GPP estimation (\( GPP_{StatMod} \)) as:

\[
GPP_{EC} = f(EVI, T_a, PAR, T_a \times EVI, PAR \times EVI, T_a + EVI, PAR + EVI)
\]

In addition, we also performed ANN using EVI and PAR as predictor variables for estimating GPP (\( GPP_{ANN} \)) as mentioned earlier in section 2.4.
2.5.2. ET Models

The relationship of ET_{EC} with EVI and major climate variables (T_a and PAR) were analyzed for the calibration dataset to obtain the best predictive ET estimation (ET_{StatMod}) as:

\[
ET_{EC} = f(EVI, T_a, PAR, T_a \times EVI, PAR \times EVI, T_a + EVI, PAR + EVI)
\]  \hspace{1cm} (13)

In addition, we also performed ANN using EVI and PAR as predictor variables for estimating ET (ET_{ANN}). We compared the performance of the parameterized EWUE-based ET model (ET_{EWUE}) with ET_{StatMod}, ET_{ANN}, and the standard ET_{MOD16} product. The same calibration and validation datasets were used for ET models as well. The ET_{MOD16} dataset was also divided into calibration and validation datasets.

2.6. Model Performance Evaluation

The modeled ELUE, EWUE, GPP, and ET values were compared against ELUE_{EC}, EWUE_{EC}, GPP_{EC}, and ET_{EC}, respectively, to assess the validity of the models. We used several fit statistics such as regression slopes, R^2, and root mean squared error (RMSE) to evaluate the model agreement and bias.

3. Results

3.1. Seasonal and interannual variations in GPP_{EC} and ET_{EC}

The seasonal and interannual variations in GPP_{EC} and ET_{EC} followed the same patterns at all three sites (Fig. 1). Both GPP_{EC} and ET_{EC} started to increase (GPP_{EC} > 1 g C m^{-2} d^{-1} and ET_{EC} > 1 mm d^{-1}) at the beginning of June, reached a maximum in July, and declined to pre-season value (GPP_{EC} < 1 g C m^{-2} d^{-1} and ET_{EC} < 1 mm d^{-1}) by late September. Thus, the active growing season for maize spanned from early June to late September. Generally, maize is sown in early to mid-May and harvested in mid- to late October at these sites. Peak GPP_{EC} and ET_{EC} values over the
study period at three maize sites are presented in Table 3. Results show that peak GPP values were mostly similar at all sites, but peak ET values were slightly smaller at rainfed (US-Ne3) site than irrigated (US-Ne1 and US-Ne2) sites. In addition, peak ET showed larger interannual variability than did peak GPP at all sites (Fig. 1).

### 3.2. Seasonal and interannual variations in ELUEEC, EWUEEC, EVI, and PAR

The seasonal and interannual variations in ELUEEC, EWUEEC, and EVI followed the same patterns at all sites (Fig. 2). Similar to GPPEC and ETEC, ELUEEC, EWUEEC, and EVI started to increase at the beginning of June, reached a maximum in July, and declined to pre-season value by late September. As a result, EVI showed strong correlations with ELUEEC (Pearson’s correlation coefficient, $r = 0.93$, $0.93$, and $0.87$ at US-Ne1, US-Ne2, and US-Ne3, respectively) and EWUEEC ($r = 0.88$, $0.91$, $0.87$ at US-Ne1, US-Ne2, and US-Ne3, respectively) at all sites.

Peak ELUEEC, EWUEEC, EVI, and PAR values over the study period at three maize sites are presented in Table 3. The ranges of peak values were $0.40–0.55$ g C mol$^{-1}$ PAR for ELUEEC, $4.22–5.81$ g C mm$^{-1}$ ET for EWUEEC, $0.60–0.82$ for EVI, and $49–61$ mol m$^{-2}$ d$^{-1}$ for PAR across sites.

### 3.3. Quantitative relationships of GPPEC, ETEC, ELUEEC, and EWUEEC with EVI and climate variables

Quantitative relationships of 8-day composite values of GPPEC, ETEC, ELUEEC, and EWUEEC were examined with EVI and climate variables across three sites (Table 1). Results show that EVI was strongly correlated with GPPEC ($r = 0.87$), ETEC ($r = 0.74$), ELUEEC ($r = 0.91$), and EWUEEC ($r = 0.86$). The GPPEC-EVI and ETETE EVI relationships were further improved by coupling of EVI with $T_a$ or PAR. In addition, GPPEC and ETETE were more strongly correlated with the product of EVI and PAR ($EVI \times PAR$, $r = 0.93$ and $0.86$, respectively) than with the
product of EVI and $T_a$ ($\text{EVI} \times T_a$, $r = 0.91$ and 0.83, respectively). As a result, simple and robust
statistical models were developed from the calibration dataset to estimate GPP and ET (Table 2)
as:

\[
\text{GPP}_{\text{StatMod}} = 0.81 \times (\text{EVI} \times \text{PAR}) - 5.53, \quad R^2 = 0.88, \quad P < 0.001 \quad (14)
\]

\[
\text{ET}_{\text{StatMod}} = 0.13 \times (\text{EVI} \times \text{PAR}) + 0.81, \quad R^2 = 0.74, \quad P < 0.001 \quad (15)
\]

Results show that coupling of EVI with $T_a$ ($\text{EVI} \times T_a$) slightly improved the $\text{ELUE}_{\text{EC}}$-EVI
relationship ($r = 0.92$ vs 0.91) but not the $\text{EWUE}_{\text{EC}}$-EVI relationship ($r = 0.83$ vs 0.86) compared
to EVI alone (Table 1). Similarly, coupling of EVI with PAR ($\text{EVI} \times \text{PAR}$) did not improve the
$\text{ELUE}_{\text{EC}}$-EVI ($r = 0.86$ vs 0.91) and $\text{EWUE}_{\text{EC}}$-EVI ($r = 0.82$ vs 0.86) relationships compared to
EVI alone. As a result, simple and robust statistical models were developed from the calibration
dataset to estimate ELUE and EWUE (Table 2) as:

\[
\text{ELUE}_{\text{Pred}} = 0.008 \times T_a + 0.81 \times \text{EVI} - 0.29, \quad R^2 = 0.88, \quad P < 0.001 \quad (16)
\]

\[
\text{EWUE}_{\text{Pred}} = 7.35 \times \text{EVI} - 0.53, \quad R^2 = 0.78, \quad P < 0.001 \quad (17)
\]

Residual plots of the above mentioned four selected regression models and ANN models for
predicting GPP, ET, ELUE, and EWUE did not show any systematic pattern (Fig. S1), indicating
that the models fit the data well.

3.5. Comparison of predicted ELUE and EWUE with $\text{ELUE}_{\text{EC}}$ and $\text{EWUE}_{\text{EC}}$

Predicted ELUE using a multiple regression that uses $T_a$ and EVI ($\text{ELUE}_{\text{EVI}+T_a}$) and ANN
($\text{ELUE}_{\text{ANN}}$) models, and predicted EWUE using a simple linear regression that uses only EVI
($\text{EWUE}_{\text{EVI}}$) and ANN ($\text{EWUE}_{\text{ANN}}$) models were compared against $\text{ELUE}_{\text{EC}}$ and $\text{EWUE}_{\text{EC}}$,
respectively, for the model validation dataset (Fig. 3). Predicted ELUE and EWUE values agreed
well with $\text{ELUE}_{\text{EC}}$ and $\text{EWUE}_{\text{EC}}$, respectively. In addition, results show that regression and ANN
models provided similar results for predicting ELUE and EWUE (Fig. 3). Thus, for simplicity,
we used ELUE\textsubscript{EVI-T\textsubscript{a}} and EWUE\textsubscript{EVI} to model GPP (GPP\textsubscript{ELUE}) and ET (ET\textsubscript{EWUE}), respectively, as shown in equations (5) and (6).

3.6. \textit{Comparison of GPP\textsubscript{EC} with other estimates of GPP}

Predicted GPPs (GPP\textsubscript{ELUE}, GPP\textsubscript{ANN}, GPP\textsubscript{StatMod}, GPP\textsubscript{GR}, GPP\textsubscript{TG}, and GPP\textsubscript{VI}) from several models and the standard GPP\textsubscript{MOD17} product were compared against GPP\textsubscript{EC} for the model validation data set (Fig. 4). When compared to GPP\textsubscript{EC}, the parameterized ELUE model demonstrated better performance in predicting GPP than did widely used GPP models (GR, TG, and VI) and the standard GPP\textsubscript{MOD17} product. The GPP\textsubscript{ANN} and GPP\textsubscript{StatMod} also showed better performance in predicting GPP than did GPP\textsubscript{GR}, GPP\textsubscript{TG}, GPP\textsubscript{VI}, and GPP\textsubscript{MOD17}.

3.7. \textit{Comparison of ET\textsubscript{EC} with other estimates of ET}

Predicted ETs (ET\textsubscript{EWUE}, ET\textsubscript{ANN}, ET\textsubscript{StatMod}, and ET\textsubscript{MOD16}) from several models and the standard ET\textsubscript{MOD16} product were compared against ET\textsubscript{EC} for the model validation data set (Fig. 5). When compared to ET\textsubscript{EC}, the parameterized EWUE model, ANN, and a statistical model showed similar performance in predicting ET. Results show that those ET estimates were substantially improved compared to the standard ET\textsubscript{MOD16} product.

4. Discussion

Understanding of the seasonal dynamics and interannual variations in GPP, ET, ELUE, and EWUE, and the underlying controlling mechanisms can enhance our ability to predict how climate change may affect carbon and water budgets of maize ecosystems. Results showed that peak GPP\textsubscript{EC}, ELUE\textsubscript{EC}, and EWUE\textsubscript{EC} values were mostly similar at all sites. A previous study also reported a similar WUE (or biomass transpiration efficiency = total plant biomass/growing season transpiration) at these irrigated and rainfed sites (Suyker and Verma, 2009). However,
peak ET\textsubscript{EC} of rainfed maize site was smaller than that of irrigated sites. Similarly, peak EVI of rainfed site was also smaller than that of irrigated sites. In addition, peak ET\textsubscript{EC} showed larger interannual variability than did peak GPP\textsubscript{EC} (Fig. 1), likely due to differences in soil moisture over years due to variations in rainfall, while differences in GPP\textsubscript{EC} were not explained by the differences in soil moisture at the irrigated (US-Ne2) and rainfed (US-Ne3) sites (Yuan et al., 2015). For example, peak GPP\textsubscript{EC} in 2004 at US-Ne1 was similar to other years, but peak ET\textsubscript{EC} was the lowest in 2004 (Fig. 1) when July and August were dry (72 mm below normal) (Suyker and Verma, 2008).

As in several previous studies (Dong et al., 2015; Ma et al., 2014; Nagler et al., 2005; Sims et al., 2008; Wagle et al., 2015b; Wagle et al., 2014), we observed strong correlations of EVI with GPP\textsubscript{EC} and ET\textsubscript{EC} (Table 1). In addition, EVI showed strong correlations with ELUE\textsubscript{EC} and EWUE\textsubscript{EC} (Table 1), indicating that EVI could be used as a measure of ELUE\textsubscript{EC} and EWUE\textsubscript{EC} in maize. Our results show that the relationships of EVI with GPP\textsubscript{EC} and ET\textsubscript{EC} were further improved by coupling EVI with PAR compared to EVI alone. As a result, simple statistical and ANN models developed by integrating EVI and PAR demonstrated better performance in predicting GPP compared to estimates from most widely used GPP models (GR, TG, and VI) and the standard GPP\textsubscript{MOD17} product (Fig. 4). Similarly, simple statistical and ANN models developed by integrating EVI and PAR provided significantly improved estimates of ET compared to the standard ET\textsubscript{MOD16} product (Fig. 5).

Our results demonstrate that ELUE and EWUE of maize can be predicted at 8-day intervals with reasonable accuracy using the MODIS-derived EVI and climate variables (Fig. 3). Previous studies also correlated LUE with vegetation indices, including normalized difference vegetation index (NDVI) and EVI in crop (Wu et al., 2009) and peatland ecosystems (Schubert et al., 2010),
showing the potential of vegetation indices to estimate LUE. Typical methods of LUE simulation require prior specification of a biome-scale maximum LUE and additional climate input to modulate the maximum LUE for the growing season (Running et al., 2004). The dependency on climate input and biome-scale maximum LUE can induce significant uncertainties in estimates of GPP and limit its global application (Heinsch et al., 2006; Zhao et al., 2006). Further, most LUE-based models account only for the impacts of temperature and water or vapor pressure deficit on LUE (Running et al., 2004; Xiao et al., 2004). Although previous studies have shown the potential of PRI in tracking LUE at the leaf level based on ground spectral measurements (Filella et al., 2009; Gamon et al., 1997) and satellite observations (Drolet et al., 2008; Hall et al., 2008; Hilker et al., 2009), high sensitivity of PRI to numerous extraneous effects such as canopy structure and the view observer geometry prevents its application at large spatial (landscape-to-global) scales, thereby requiring upscaling algorithms to account for structural differences in vegetation (Hilker et al., 2010).

The assumption of a constant maximum value of ELUE or EWUE for the entire growing season, across years, and across sites for a biome type is very common in GPP and ET models (Alfieri et al., 2009; Running et al., 2004; Wagle et al., 2014; Zhang et al., 2009). Our results illustrated that there was a clear seasonality of ELUE and EWUE, and the maximum values of ELUE and EWUE varied year-to-year at the same site (Fig. 2), indicating that ELUE and EWUE are not constant properties. Because of the assumption of a constant LUE for the entire growing season, our results show that GR and TG models overestimated GPP in the lower range of GPP (i.e., GPP < 10 g C m\(^{-2}\) d\(^{-1}\) during the early and late growing season, Fig. 4). Our results suggest that accurate estimations of GPP and ET require an improved representation of seasonal dynamics and interannual variations in ELUE and EWUE. The ELUE and EWUE
parameterization approaches using EVI and climate variables can avoid an important source of uncertainty in GPP and ET that arises from spatial and temporal variations in ELUE and EWUE, respectively. Another important advantage of this approach is that it does not require prior information of species composition and their contributions on the measured values of CO₂ fluxes and ET, especially in mixed vegetation ecosystems (e.g., mixed C₄ and C₃ species). Typical methods of GPP and ET simulations use different maximum ELUE and EWUE values for C₄ and C₃ species.

Despite a close correspondence of predicted values of GPP, ET, ELUE, and EWUE with \( \text{GPP}_{EC}, \text{ET}_{EC}, \text{ELUE}_{EC}, \) and \( \text{EWUE}_{EC} \), there were some large discrepancies. These discrepancies can be attributed to multiple sources of errors or uncertainties. Some errors or uncertainties might come from errors and uncertainties in \( \text{GPP}_{EC} \) and \( \text{ET}_{EC} \) measurements as energy balance closure errors can be 10-30% (Twine et al., 2000). Substantial uncertainties in GPP data can arise from partitioning of NEE to GPP and ecosystem respiration (Hagen et al., 2006) and gap fillings of EC data (Richardson and Hollinger, 2007). In addition, some errors or uncertainties in ET data can arise from not filtering ET data for irrigation or rainfall events although 8-day composite values were used. The simplified assumption that were made in estimating ELUE using EVI and \( T_a \) and in estimating EWUE using only EVI also introduced some uncertainties as \( \text{EVI} \times T_a \) explained 85% and EVI explained 74% of the variations in \( \text{ELUE}_{EC} \) and \( \text{EWUE}_{EC} \), respectively, for our dataset (Table 1). The sensitivity of \( \text{ELUE}_{EC} \) and \( \text{EWUE}_{EC} \) to input parameters (EVI and \( T_a \)) can also introduce some uncertainties in estimations of ELUE and EWUE, and ultimately in estimations of GPP and ET. To further investigate the sensitivity of \( \text{ELUE}_{EC} \) and \( \text{EWUE}_{EC} \) to input parameters, we examined ELUE residuals (\( \text{ELUE}_{\text{Pred}} - \text{ELUE}_{EC} \)) against EVI and \( T_a \), and EWUE residuals (\( \text{EWUE}_{\text{Pred}} - \text{EWUE}_{EC} \)) against EVI. Lack of any discernible trends of residuals
against EVI or $T_a$ indicated that there were no systematic errors associated with input parameters (Fig. S2). However, large scatter of residuals still exist which can affect the agreement between the modeled and observed GPP and ET. Note that the modeled and observed values cannot match exactly even if all the modeling or observed errors or uncertainties could be removed (Taylor, 2001). However, we found that the parameterized ELUE model demonstrated better performance in predicting GPP compared to most widely used GPP models (GR, TG, and VI) and the standard GPP$_{MOD17}$ product (Fig. 4). Similarly, ET estimates from the parameterized EWUE model, statistical, and ANN models were substantially improved compared to the standard ET$_{MOD16}$ product (Fig. 5). These results demonstrate that the parameterized ELUE and EWUE using EVI and climate variables can be used for predicting maize GPP and ET with reasonable accuracy without dependence on look-up table or coarse resolution climate data to estimate ELUE and EWUE.

5. Conclusions

Seasonally, EVI tracked closely with GPP$_{EC}$, ET$_{EC}$, ELUE$_{EC}$, and EWUE$_{EC}$, indicating that it is the primary factor controlling the seasonal variations in maize GPP$_{EC}$, ET$_{EC}$, ELUE$_{EC}$, and EWUE$_{EC}$. The relationship between EVI and ELUE$_{EC}$ was further improved by coupling EVI with $T_a$ compared to EVI alone. Coupling of EVI with $T_a$ or PAR did not improve the relationship between EVI and EWUE$_{EC}$ compared to EVI alone. Based on these results, we developed novel models to estimate ELUE and EWUE at 8-day intervals. Our results illustrate that the parameterized ELUE and EWUE models offer new methods of predicting GPP and ET, respectively, with reasonable accuracy. The usefulness of these new approaches should be validated for larger spatial and smaller temporal scales and different land cover types in the future. These analyses will be helpful for the development of future GPP and ET estimation.
models, and improving our understanding of the responses of terrestrial ecosystems to future climate change.

Acknowledgements

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References


Figure Legends:

**Fig. 1.** Seasonality and interannual dynamics of tower-based gross primary production (GPP$_{EC}$) and evapotranspiration (ET$_{EC}$) at three maize sites.

**Fig. 2.** Seasonality and interannual dynamics of tower-based ecosystem light use efficiency (ELUE$_{EC}$), ecosystem water use efficiency (EWUE$_E$), enhanced vegetation index (EVI), and photosynthetically active radiation (PAR) at three maize sites.

**Fig. 3.** Linear comparisons of predicted ecosystem light use efficiency (ELUE$_{EVI-Ta}$ and ELUE$_{ANN}$) and ecosystem water use efficiency (EWUE$_{EVI-Ta}$ and EWUE$_{ANN}$) using regression and artificial neural network (ANN) models with tower-based ELUE$_{EC}$ and EWUE$_{EC}$ for the model validation dataset. $R^2$: the coefficient of determination and RMSE: root mean square error.

**Fig. 4.** Linear comparisons of tower-based gross primary production (GPP$_{EC}$) with GPP estimates from several models for the model validation dataset. $R^2$: the coefficient of determination and RMSE: root mean square error (g C m$^{-2}$ d$^{-1}$).

**Fig. 5.** Linear comparisons of tower-based evapotranspiration (ET$_{EC}$) with ET estimates from several models for the model validation dataset. $R^2$: the coefficient of determination and RMSE: root mean square error (mm d$^{-1}$).
Table 1. Pearson correlation coefficients ($r$) between tower-based gross primary production 
($\text{GPP}_{\text{EC}}$), evapotranspiration ($\text{ET}_{\text{EC}}$), ecosystem light use efficiency ($\text{ELUE}_{\text{EC}}$), and ecosystem 
water use efficiency ($\text{EWUE}_{\text{EC}}$) versus enhanced vegetation index (EVI), air temperature ($T_a$), 
and photosynthetically active radiation (PAR) for the entire dataset (8-day values) at three maize 
sites. The highest $r$ value for each response variable is highlighted in bold.

<table>
<thead>
<tr>
<th>Variable</th>
<th>$\text{GPP}_{\text{EC}}$</th>
<th>$\text{ET}_{\text{EC}}$</th>
<th>$\text{ELUE}_{\text{EC}}$</th>
<th>$\text{EWUE}_{\text{EC}}$</th>
</tr>
</thead>
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<tr>
<td>$T_a$</td>
<td>0.64</td>
<td>0.71</td>
<td>0.58</td>
<td>0.48</td>
</tr>
<tr>
<td>EVI</td>
<td>0.87</td>
<td>0.74</td>
<td>0.91</td>
<td><strong>0.86</strong></td>
</tr>
<tr>
<td>PAR</td>
<td>0.48</td>
<td>0.57</td>
<td>0.27</td>
<td>0.27</td>
</tr>
<tr>
<td>EVI×$T_a$</td>
<td>0.91</td>
<td>0.83</td>
<td><strong>0.92</strong></td>
<td>0.83</td>
</tr>
<tr>
<td>EVI×PAR</td>
<td><strong>0.93</strong></td>
<td><strong>0.86</strong></td>
<td>0.86</td>
<td>0.82</td>
</tr>
</tbody>
</table>
Table 2. A comparison of performance of regression and artificial neural network models for predicting gross primary production (GPP), evapotranspiration (ET), ecosystem light use efficiency (ELUE), and ecosystem water use efficiency (EWUE). A simple and robust regression model for each response variable is highlighted in bold.

<table>
<thead>
<tr>
<th>S.N.</th>
<th>Equation</th>
<th>Model</th>
<th>$R^2$</th>
<th>AIC</th>
<th>SBC</th>
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<tr>
<td>Response variable: GPP</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1</td>
<td>$-8.55 + 42.98 \text{EVI}$</td>
<td>LR</td>
<td>0.79</td>
<td>438.54</td>
<td>444.89</td>
</tr>
<tr>
<td>2</td>
<td>$-5.06 + 1.58 \text{T}_a \times \text{EVI}$</td>
<td>LR</td>
<td>0.86</td>
<td>366.36</td>
<td>372.71</td>
</tr>
<tr>
<td>3</td>
<td>$-5.53 + 0.81 \text{EVI} \times \text{PAR}$</td>
<td>LR</td>
<td>0.88</td>
<td>339.35</td>
<td>345.70</td>
</tr>
<tr>
<td>4</td>
<td>$19.22 + 36.40 \text{EVI} + 0.68 \text{PAR}$</td>
<td>MR</td>
<td>0.85</td>
<td>379.01</td>
<td>388.53</td>
</tr>
<tr>
<td>5</td>
<td>$19.22 + 36.40 \text{EVI} + 0.62 \text{T}_a$</td>
<td>MR</td>
<td>0.85</td>
<td>379.01</td>
<td>388.53</td>
</tr>
<tr>
<td>6</td>
<td>$21.45 + 36.79 \text{EVI} + 0.19 \text{PAR} + 0.33 \text{T}_a$</td>
<td>MR</td>
<td>0.87</td>
<td>349.74</td>
<td>362.45</td>
</tr>
<tr>
<td>7</td>
<td>Artificial Neural Network</td>
<td>-</td>
<td>302.58</td>
<td>343.87</td>
<td></td>
</tr>
<tr>
<td>Response variable: ET</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1</td>
<td>$0.61 + 6.29 \text{EVI}$</td>
<td>LR</td>
<td>0.55</td>
<td>-43.170</td>
<td>-36.810</td>
</tr>
<tr>
<td>2</td>
<td>$0.94 + 0.24 \text{T}_a \times \text{EVI}$</td>
<td>LR</td>
<td>0.69</td>
<td>-109.94</td>
<td>-103.59</td>
</tr>
<tr>
<td>3</td>
<td>$0.81 + 0.13 \text{EVI} \times \text{PAR}$</td>
<td>LR</td>
<td>0.74</td>
<td>-137.74</td>
<td>-131.39</td>
</tr>
<tr>
<td>4</td>
<td>$-2.08 + 5.28 \text{EVI} + 0.07 \text{PAR}$</td>
<td>MR</td>
<td>0.72</td>
<td>-125.08</td>
<td>-115.55</td>
</tr>
<tr>
<td>5</td>
<td>$-2.96 + 4.50 \text{EVI} + 0.05 \text{PAR} + 0.10 \text{T}_a$</td>
<td>MR</td>
<td>0.76</td>
<td>-149.17</td>
<td>-136.47</td>
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<td>6</td>
<td>Artificial Neural Network</td>
<td>-</td>
<td>-181.35</td>
<td>-140.07</td>
<td></td>
</tr>
<tr>
<td>Response variable: ELUE</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1</td>
<td>$0.16 + 0.88 \text{EVI}$</td>
<td>LR</td>
<td>0.85</td>
<td>-1007.91</td>
<td>-1001.55</td>
</tr>
<tr>
<td>2</td>
<td>$-0.07 + 0.03 \text{T}_a \times \text{EVI}$</td>
<td>LR</td>
<td>0.86</td>
<td>-1018.83</td>
<td>-1012.48</td>
</tr>
<tr>
<td>3</td>
<td>$0.06 + 0.01 \text{EVI} \times \text{PAR}$</td>
<td>LR</td>
<td>0.76</td>
<td>-924.37</td>
<td>-918.02</td>
</tr>
<tr>
<td>4</td>
<td>$-0.29 + 0.81 \text{EVI} \times 0.008 \text{T}_a$</td>
<td>MR</td>
<td>0.88</td>
<td>-1034.57</td>
<td>-1025.04</td>
</tr>
<tr>
<td>5</td>
<td>$-0.20 + 0.87 \text{EVI} + 0.001 \text{PAR}$</td>
<td>MR</td>
<td>0.85</td>
<td>-1010.70</td>
<td>-1001.17</td>
</tr>
<tr>
<td>6</td>
<td>$-0.27 + 0.80 \text{EVI} - 0.0008 \text{PAR} + 0.001 \text{T}_a$</td>
<td>MR</td>
<td>0.87</td>
<td>-1034.16</td>
<td>-1021.46</td>
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<td>7</td>
<td>Artificial Neural Network</td>
<td>-</td>
<td>-1033.37</td>
<td>-992.080</td>
<td></td>
</tr>
<tr>
<td>Response variable: EWUE</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1</td>
<td>$-0.53 + 7.35 \text{EVI}$</td>
<td>LR</td>
<td>0.78</td>
<td>-177.13</td>
<td>-170.78</td>
</tr>
<tr>
<td>2</td>
<td>$0.30 + 0.25 \text{T}_a \times \text{EVI}$</td>
<td>LR</td>
<td>0.72</td>
<td>-135.27</td>
<td>-128.92</td>
</tr>
<tr>
<td>3</td>
<td>$0.31 + 0.12 \text{EVI} \times \text{PAR}$</td>
<td>LR</td>
<td>0.70</td>
<td>-118.03</td>
<td>-111.67</td>
</tr>
<tr>
<td>4</td>
<td>$-0.90 + 7.20 \text{EVI} + 0.01 \text{PAR}$</td>
<td>MR</td>
<td>0.78</td>
<td>-178.03</td>
<td>-168.50</td>
</tr>
<tr>
<td>5</td>
<td>$-0.89 + 7.11 \text{EVI} + 0.02 \text{T}_a$</td>
<td>MR</td>
<td>0.79</td>
<td>-177.19</td>
<td>-167.66</td>
</tr>
<tr>
<td>6</td>
<td>$-0.98 + 7.13 \text{EVI} + 0.01 \text{PAR} + 0.01 \text{T}_a$</td>
<td>MR</td>
<td>0.78</td>
<td>-176.30</td>
<td>-163.59</td>
</tr>
<tr>
<td>7</td>
<td>Artificial Neural Network</td>
<td>-</td>
<td>-187.10</td>
<td>-145.81</td>
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</tr>
</tbody>
</table>

Table 3. The range of maximum values (8-day) of tower-based gross primary production (GPP\textsubscript{EC}, g C m\textsuperscript{-2} d\textsuperscript{-1}), evapotranspiration (ET\textsubscript{EC}, mm d\textsuperscript{-1}), ecosystem light use efficiency (ELUE\textsubscript{EC}, g C mol\textsuperscript{-1} PAR), ecosystem water use efficiency (EWUE\textsubscript{EC}, g C mm\textsuperscript{-1} ET), enhanced vegetation index (EVI), and photosynthetically active radiation (PAR, mol m\textsuperscript{-2} d\textsuperscript{-1}) at three maize sites.

<table>
<thead>
<tr>
<th>Site</th>
<th>GPP\textsubscript{EC}</th>
<th>ET\textsubscript{EC}</th>
<th>ELUE\textsubscript{EC}</th>
<th>EWUE\textsubscript{EC}</th>
<th>EVI</th>
<th>PAR</th>
</tr>
</thead>
<tbody>
<tr>
<td>US-Ne1</td>
<td>22.22–24.97</td>
<td>4.73–7.17</td>
<td>0.44–0.55</td>
<td>4.22–5.25</td>
<td>0.65–0.82</td>
<td>49–60</td>
</tr>
<tr>
<td>US-Ne2</td>
<td>24.08–24.95</td>
<td>4.68–6.51</td>
<td>0.44–0.53</td>
<td>4.27–5.81</td>
<td>0.69–0.80</td>
<td>54–61</td>
</tr>
<tr>
<td>US-Ne3</td>
<td>20.01–24.40</td>
<td>4.72–5.89</td>
<td>0.40–0.53</td>
<td>4.47–5.60</td>
<td>0.60–0.69</td>
<td>52–60</td>
</tr>
</tbody>
</table>
### Appendix: Definition of abbreviations.

<table>
<thead>
<tr>
<th>Abbreviation</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>GPP&lt;sub&gt;EC&lt;/sub&gt;</td>
<td>Tower-based gross primary production</td>
</tr>
<tr>
<td>ET&lt;sub&gt;EC&lt;/sub&gt;</td>
<td>Tower-based evapotranspiration</td>
</tr>
<tr>
<td>ELUE&lt;sub&gt;EC&lt;/sub&gt;</td>
<td>Tower-based ecosystem light use efficiency</td>
</tr>
<tr>
<td>EWUE&lt;sub&gt;EC&lt;/sub&gt;</td>
<td>Tower-based ecosystem water use efficiency</td>
</tr>
<tr>
<td>ELUE&lt;sub&gt;Pred&lt;/sub&gt;</td>
<td>Predicted ELUE using regression model</td>
</tr>
<tr>
<td>EWUE&lt;sub&gt;Pred&lt;/sub&gt;</td>
<td>Predicted EWUE using regression model</td>
</tr>
<tr>
<td>ELUE&lt;sub&gt;ANN&lt;/sub&gt;</td>
<td>Predicted ELUE using artificial neural network</td>
</tr>
<tr>
<td>EWUE&lt;sub&gt;ANN&lt;/sub&gt;</td>
<td>Predicted EWUE using artificial neural network</td>
</tr>
<tr>
<td>ELUE&lt;sub&gt;EVI+Ta&lt;/sub&gt;</td>
<td>Predicted ELUE using EVI and air temperature</td>
</tr>
<tr>
<td>EWUE&lt;sub&gt;EVI&lt;/sub&gt;</td>
<td>Predicted EWUE using EVI</td>
</tr>
<tr>
<td>GPP&lt;sub&gt;ELUE&lt;/sub&gt;</td>
<td>Predicted GPP using parameterized ELUE model</td>
</tr>
<tr>
<td>ET&lt;sub&gt;EWUE&lt;/sub&gt;</td>
<td>Predicted ET using parameterized EWUE model</td>
</tr>
<tr>
<td>GPP&lt;sub&gt;MOD17&lt;/sub&gt;</td>
<td>MODIS GPP global product</td>
</tr>
<tr>
<td>ET&lt;sub&gt;MOD16&lt;/sub&gt;</td>
<td>MODIS ET global product</td>
</tr>
<tr>
<td>GPP&lt;sub&gt;ANN&lt;/sub&gt;</td>
<td>Predicted GPP using artificial neural network</td>
</tr>
<tr>
<td>ET&lt;sub&gt;ANN&lt;/sub&gt;</td>
<td>Predicted ET using artificial neural network</td>
</tr>
<tr>
<td>GPP&lt;sub&gt;TG&lt;/sub&gt;</td>
<td>Predicted GPP using Temperature and Greenness model</td>
</tr>
<tr>
<td>GPP&lt;sub&gt;GR&lt;/sub&gt;</td>
<td>Predicted GPP using Greenness and Radiation model</td>
</tr>
<tr>
<td>GPP&lt;sub&gt;VI&lt;/sub&gt;</td>
<td>Predicted GPP using Vegetation Index model</td>
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<tr>
<td>GPP&lt;sub&gt;StatMod&lt;/sub&gt;</td>
<td>Predicted GPP using statistical model</td>
</tr>
<tr>
<td>ET&lt;sub&gt;StatMod&lt;/sub&gt;</td>
<td>Predicted ET using statistical model</td>
</tr>
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</table>
Figure 1

Graph showing time series data for GPP and ET over years. The x-axis represents time in years from 2001 to 2013, and the y-axis represents GPP in g C m\(^{-2}\) d\(^{-1}\) for US-Ne1, US-Ne2, and US-Ne3.
Figure 4

- **GPPELUE (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.97
  - R\(^2\) = 0.82
  - RMSE = 2.89

- **GPPANN (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.95
  - R\(^2\) = 0.80
  - RMSE = 3.04

- **GPPStatMod (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.21
  - R\(^2\) = -0.60
  - RMSE = 12.3

- **GPPEC (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.94
  - R\(^2\) = 0.49
  - RMSE = 3.61

- **GPPMOD17 (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.97
  - R\(^2\) = 0.78
  - RMSE = 3.5

- **GPPGR (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.97
  - R\(^2\) = 0.78
  - RMSE = 3.5

- **GPPVI (g C m\(^{-2}\) d\(^{-1}\))**
  - Slope = 0.93
  - R\(^2\) = 0.37
  - RMSE = 4.53
Figure 5

**ETWUE (mm d$^{-1}$)**

- **Slope**: 1.02
- **R$^2$**: 0.62
- **RMSE**: 0.83

**ETEC (mm d$^{-1}$)**

- **Slope**: 0.98
- **R$^2$**: 0.63
- **RMSE**: 0.65

**ETStatMOD (mm d$^{-1}$)**

- **Slope**: 0.59
- **R$^2$**: 0.38
- **RMSE**: 1.72

**ETMOD16 (mm d$^{-1}$)**

- **Slope**: 0.98
- **R$^2$**: 0.65
- **RMSE**: 0.62

**ETANN (mm d$^{-1}$)**

- **Slope**: 0.98
- **R$^2$**: 0.63
- **RMSE**: 0.65