Dynamic properties of a pulse-pumped fiber laser with a short, high-gain cavity

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Abstract

We demonstrate a pulsed high-gain all-fiber laser without intracavity modulators, where a short and heavily Erbium-doped fiber is used as the gain medium in a ring cavity. By pulsed-pumping this short high gain cavity and tuning an intracavity variable optical coupler, the laser generates optical pulses with a pulse-width of μs at a repetition rate in the order of kHz down to one-shot operation. Furthermore, dynamic properties of this laser are investigated theoretically based on a travelling-wave-model, in which an adaptive-discrete-grid-finite-difference-method is applied. The simulation results validate the experimental results. The demonstrated pulsed laser is compact, flexible and cost-effective, which will have great potential for applications in all-optical sensing and communication systems.

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Keywords: Fiber laser; pulse; ring cavity; adaptive-discrete-grid-finite-difference-method

1. Introduction

Pulsed laser sources are very important instruments for scientific research and industrial applications, such as distributed fiber sensing and communication systems^[1]. Among them, master-oscillator-power-amplifier (MOPA) and Q-switching laser are two commonly used methods. The MOPA features a great flexibility in the pulse duration and the repetition rate, but multi-stage amplifications are needed to realize high power output. The Q-switched fiber lasers can generate pulses with high peak power and high repetition rate^[2]; however, most of them use intracavity modulators, which are costly and relatively bulky^[3,4]. Recently, pulsed fiber lasers without intracavity modulators are proposed by seeding the linear cavity with pulse-modulated pump LDs^[5-7]. Among most of them, linear cavity with long gain medium and free-space coupled multimode pump LDs are used. As a long gain medium may bring intensity noise, the use of free-space coupled optics could significantly complicate the package design, which becomes a challenging issue to maintain a stable laser output^[8,9]. It still needs efforts to develop a pulsed fiber source with a simplified and stabilized structure as well as high tuning flexibility.

In this letter, we propose a simple and flexible pulsed fiber ring laser without any intracavity modulators, where a short and high-gain medium, namely a heavily Er-doped fiber (HEDF), is used in the ring shaped cavity. By pulsed-pumping this cavity, the laser generates optical pulses with a pulse-width of μs at a repetition rate in the order of kHz down to one-shot operation. Laser pulses are tunable by modulating the pump power and adjusting a variable optical coupler (VOC). The tunability of the laser output is studied experimentally, while physical processes within this fiber laser are studied theoretically. To investigate the dynamic properties of the proposed laser, a numerical model based on adaptive-discrete-grid-finite-difference-method (ADGFDM) is developed.

2. Experimental setup

The schematic of the proposed laser is illustrated in Fig. 1. A WDM, a single-mode (SM) HEDF (LIEKKI Er110-4/125, nLIGHT), a fiber pigtailed ISO, an intracavity PC and a VOC are fiber-coupled which close-looped the ring cavity. The whole laser cavity is about 0.2 m long, where the HEDF has a length of about 0.1 m and is used as the gain fiber. The HEDF has a high doping level, low background loss (<0.02 dB/m) and a high-gain per unit fiber length (~ 1.1 dB/cm). The pumping system consists of a 980 nm LD (driven by a pulsed electric driver) and is thermally stabilized by an ATC. The pump pulses coupled into the ring cavity have a peak power of about 500 mW. The pulse energy and width of the pump seeds can be set by varying the modulation voltage of the pulsed electric driver. Therefore, plus the adjustment of the VOC's intracavity coupling ratio r (from 0.1 to 0.9), the fiber laser output can be actively controlled. The laser spectra are measured by an optical spectrum analyzer (86142B, Agilent). The laser energy per pulse and pulses' time shape are measured by a high speed photodetector and oscilloscope.

Fig. 1. Schematic of the proposed fiber laser. ATC: automatic temperature controller; WDM: wavelength division multiplexer; ISO: isolator; PC: polarization controller.

3. Experimental results and discussion

To illustrate the high-absorption performance and modulation of the considered ring cavity, the energy transfer property of the pulsed pumping scheme is first experimentally investigated. The optical spectra of the 980 nm pump LD were measured before and after a single pass of the HEDF. As shown in Fig. 2(a), the HEDF produces a 15 dB-absorption for the pump LD. The ASE spectrum of the amplified pulsed pump seed after the HEDF was also measured. As shown in Fig. 2(b), the ASE spectrum is peaked at 1561.6 nm with a bandwidth of 36.7 nm. It can also be seen in Fig. 2(a) that the pulsed-modulation induces spectral oscillations (rips) in the LD pump spectrum. However, due to the relatively longer lifetime of the Er^{3+} , the rips in the ASE spectrum is reduced via the amplification procedure, shown in the inset of Fig. 2(b).

Fig. 2 (a) Optical spectra snapshots of the 980 nm pulsed pump LD with 200 mW peak power and 20 μs pulse width; (b) ASE spectrum of the pulsed pump seed amplified by the 0.1 m HEDF.

After close-looping the ring cavity, the laser spectra were measured under different power and repetition rate of pump pulses. To build a laser oscillation for a set of coupling ratio r , there is a threshold value of the pump peak power P_{th} to achieve enough high intracavity gain and narrow band laser spectrum. As seen in Fig. 3, where the coupling ratio r is set to 0.9, the threshold P_{th} is about 100 mW. Also, with the same r , higher pump power generates higher oscillation amplitude. No excited-state absorption (ESA) was observed for different power powers during all the measurement time. Unlike other continuously pumped gain fibers, the pulsed-pump scheme eliminates the up-conversion and ion-clustering effects. It should be noticed that for a pump peak power of 400mW, the lasing output is indeed not stable. Thus, the dynamic process of this pulse-pumped fiber laser needs to be much more understood.

Fig. 3. (a) Pump pulses with 20 μ s width, 4 kHz repetition rate and 8% duty cycle; (b) Spectral snapshots of the laser output with r set to 0.9 and pumped by different peak powers: Black: lower than threshold P_{th} (100 mW); red: larger than P_{th} (400 mW) and blue: larger than P_{th} (500 mW, the maximum).

Fig. 4 shows the transient oscillation behavior of a single pulse under a pump peak power of 400mW. The time for building up the population inversion and achieving a laser pulse is 2.5 ms. Since the pump power is not high enough as compared to the loss in the cavity, the laser power rises abruptly and undergoes a phase of spiking followed by relaxation subsequently. This type of oscillatory phenomenon in the pulse-pumped dynamics does not fall in the conventional picture of the CW pump regime: in the ring-shaped cavity, the pulsed pump power is re-absorbed in every intracavity circulation. However, as the cavity is short, the upper-state lifetime of Er^{3+} is longer than the cavity damping time and produce a relaxation oscillation, finally lead to a single-shot pulse as shown in Fig. 4.

Fig. 4. Measured single shot oscillated laser pulse with a pump power of 400 mW.

By increasing the pump peak power to 500mW, the laser oscillations finally settled to its steady-state oscillation, As shown in Fig. 5, Gauss shaped laser pulses with 8.71 μ s pulse duration are produced in the ring cavity, having a repetition rate of 4 kHz, which is in fact the same with the pump pulses. Experimental results show that: the higher pump energy used, the higher laser power and narrower pulse width are produced. Subject to the power limit of the pump SM LD, the highest peak power of laser pulses is 26 mW, when r is set to 0.9 and the pump pulses are peaked at 500 mW. Also, the pump efficiency rises with the increase of the repetition rate, because the population inversion decays less between the pulses at a higher repetition rate.

Fig. 5. Repetitive laser pulses after laser oscillation setup. Laser pulses with 8.71 μs duration are generated. The inset shows the laser pulses have a repetition rate of 4 kHz, which is the same with the pump pulses.

To further investigate the dynamic properties of this fiber laser theoretically, the traveling wave model in Ref. [10] is extended to satisfy this pulse pumped ring cavity. The spatial-temporal evolution of the system is given by the following PDEs:

$$\frac{\partial N_2}{\partial t} + \frac{N_2}{\tau} = \frac{\Gamma_p \lambda_p}{hcA} [\sigma_{ap} N_1 - \sigma_{ep} N_2] P_p + \frac{\Gamma_s \lambda_s}{hcA} [\sigma_{as} N_1 - \sigma_{es} N_2] P_s \quad (1)$$

$$\frac{P_{p(k)}^m - P_{p[k \cdot e(p)]}^m}{e(p) \Delta x} + \frac{1}{v_p} \frac{P_{p(k)}^{m+e(p)} - P_{p(k)}^m}{e(p) \Delta t} = \Gamma_p [\sigma_{ep} N_2^m - \sigma_{ap} N_1^m] P_{p(k)}^m - \alpha_p P_{p(k)}^m \quad (2)$$

$$\frac{P_{s(k)}^m - P_{s[k \cdot e(p)]}^m}{e(p) \Delta x} + \frac{1}{v_s} \frac{P_{s(k)}^{m+e(p)} - P_{s(k)}^m}{e(p) \Delta t} = \Gamma_s [\sigma_{es} N_2^m - \sigma_{as} N_1^m] P_{s(k)}^m + \Gamma_s N_2^m \sigma_{es} 2hc^2 \Delta \lambda_s / \lambda_s^3 - \alpha_s P_{s(k)}^m \quad (3)$$

N_t is the Er^{3+} dopant concentration, N_1 and N_2 are the population densities of the ground and upper level, related by $N_t = N_1 + N_2$. τ is the fluorescence lifetime, the pump and signal powers are represented by P_p and P_s , respectively, $\lambda_{p(s)}$ is the pump (signal) wavelength. A is the core area of the HEDF. v_p and v_s are the group velocities of the pump and signal in the cavity, $\sigma_{a(e)p(s)}$ is the absorption (emission) cross sections at the pump (signal) wavelength. $\Gamma_{p(s)}$ is the overlapping factor between the pump (signal) and the doped area of HEDF. $\alpha_{p(s)}$ is the transmission loss of the pump (signal). x is the length along the cavity and t is the time. The HEDF is divided into many segments with a distance of Δx , where the time segment $\Delta t = \Delta x / v$. $k = x / \Delta x$ and $m = t / \Delta t$ represent the spatial grid number and time grid number, respectively.

The initial value and boundary conditions are:

$$P_p(0) = P_0 \quad (4)$$

$$P_s(0) = P_s(L) \cdot r \quad (5)$$

where L is the total length of the HEDF, P_0 is the pulsed-pump power coupled into HEDF.

We define $e(p)$ as a piecewise-function taking two integer values in order to simplify the calculation:

$$e(p) = \begin{cases} 1 & (P_s \geq \text{threshold}) \\ e \ (e \geq 2) & (P_s < \text{threshold}) \end{cases} \quad (6)$$

The *threshold* is obtained from numerical experiment to define the range of $e(p)$, In our calculations,

the *threshold* is set to 10^{-4} W, to balance the efficiency and accuracy in simulating the dynamic laser process. During calculating the PDEs, $[e(p)-1]$ is indeed the number of the spatial or time grids that are skipped.

To solve equations (1) to (3) with the boundary conditions (4) and (5), an adaptive-discrete-grid-finite-difference-method (ADGFDM) is applied and **implemented with MATLAB**. This method works as follows: The distance-step size and the time-step size vary to adapt the change of P_s . When the signal power is beyond the *threshold*, i.e. P_s changes quite rapidly, $e(p)$ takes the value '1' for high accuracy. This means the values of each spatial or time grid are calculated one by one as conventional algorithm does. On the other hand, when P_s changes smoothly on a low power level, the numerical error is negligible even if the calculating precision is low. Thus, for higher efficiency, $e(p)$ takes the value 'e' when the signal power is below the *threshold*. For example, we suppose $e(p)=2$ when the output power $P_s < \text{threshold}$, the time grid $m=1$ and $m=3$ are calculated while $m=2$ is skipped.

In this way, the ADGFDM requires less memory cost and reduces operation time effectively over conventional non-adaptive algorithms^[11]. As exemplarily shown in Fig. 6, the simulated oscillated laser pulse of one single shot has a consistent buildup time with the experimental result.

Fig. 6. Simulation of the establishing process of the laser pulse under the pump power of 400mW.

The simulated temporal evolution of the laser output spectra with $P_0=500\text{mW}$ and $r=0.9$ are shown in Fig. 7. After the laser undergoes a process of amplification and mode selection in the ring cavity, the laser spectrum is narrowed and finally peaked at longer wavelength near 1565nm.

Fig. 7. Simulated temporal evolution of the laser output spectra under peak pump power of 500mW with r set to 0.9. $t_1 < t_2 < t_3 < t_4 < t_5 < t_6$, and t_6 is the buildup time of laser pulse.

4. Conclusion

In conclusion, we demonstrate an efficient, pulse-pumped fiber ring laser with a compact and cost effective all-fiber configuration. The performance and the tunability of this pulsed fiber laser are

studied experimentally. The pulse-width and the repetition rate are tuned by controlling the pump modulation and setting the intracavity feedback power ratio of a VOC.

By applying an ADGFD in the traveling wave model, the simulation is accelerated and the memory requirement is reduced. With this improved model, the dynamic processes within this fiber laser are investigated numerically and experimental results are validated by simulation results. The proposed fiber laser offers a cost-effective approach to achieve an all-fiber pulsed laser without any intracavity modulators.

Acknowledgment

This work was supported by the Scientific Research Foundation of Nanjing University of Posts and Telecommunications (No. NY213083, No. NY214059), Young Science Foundation of Jiangsu Province (No. BK20150858, No. BK20130635), National Science Foundation of China (No. 61505085), National Science Foundation of Jiangsu Province (No. BK20131383, BY2014013), Scientific Research Foundation for the Returned Overseas Chinese Scholars (No. 105757), P. R. China.

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